

# On the intersection of the classes of doubly diagonally dominant matrices and $S$ -strictly diagonally dominant matrices

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## Abstract

We denote by  $H_0$  the subclass of  $H$ -matrices consisting of all the matrices that lay simultaneously on the classes of doubly diagonally dominant (DDD) matrices ( $A = [a_{ij}] \in \mathbb{C}^{n \times n} : |a_{ii}| |a_{jj}| \geq \sum_{k \neq i} |a_{ik}| \sum_{k \neq j} |a_{jk}|, i \neq j$ ; see [3]) and  $S$ -strictly diagonally dominant ( $S$ -SDD) matrices; see [1], [2]. Notice that strictly doubly diagonally dominant matrices (also called Ostrowsky matrices) are a subclass of  $H_0$ . Strictly diagonally dominant matrices (SDD) are also a subclass of  $H_0$ . In this paper we analyze some properties of the class  $H_0 = \text{DDD} \cap S\text{-SDD}$ .

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## References

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