## $L^2$ formulation of some hyperbolic conservation laws

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## Resumen

It is customary to address hyperbolic conservation laws (or Hamilton-Jacobi equations) in functional spaces that are neither Hilbertian nor reflexive (typically  $L^1$ , BV,  $C^0$ , Lip, etc.). We show that, in some simple but significative cases (multidimensional scalar conservation laws, Chaplygin gas or Born-Infeld electromagnetism in one space variable), a simple  $L^2$  formulation can be introduced, leading to straightforward well posedness and stability results. This approach can be extended to some coupled system like pressureless Euler-Poisson systems. In each case, very accurate numerical schemes can be designed according to the  $L^2$  formulation. Reference: http://arxiv.org/pdf/math.AP/0609761.